

Time-consistent carbon pricing

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- ▶ Profitability of low-carbon investments is determined by climate policy
- ▶ Climate policy is prone to time inconsistency and credibility problems
 - ▶ multiple objectives in the policy agendas and political alternation
→ *motivation* for ex-post renegeing on ex-ante commitment
 - ▶ irreversibility and specificity of low-carbon investments
→ *scope* for ex-post renegeing on ex-ante commitment
- ▶ This paper
 - ▶ shows the time-inconsistency problem in a simple model of carbon pricing
 - ▶ shows that reputational forces can bring some improvement
 - ▶ investigates whether complementing the price with additional policies can futher improve on the problem (short run vs long run) [*very preliminary*]

- ▶ Time-inconsistency and credibility issues
 - ▶ monetary policy (Barro 1983, Kydland and Prescott 1977)
 - ▶ climate policy
 - ▶ time-inconsistent carbon taxes (Marsiliani and Renstrom 2000, Helm et al. 2003, 2004, Abrego and Perroni 2002)
 - ▶ time-inconsistent carbon pricing (Laffont and Tirole 1996)
 - ▶ Solutions: tax earmarking, delegation to an independent environmental agency, investment subsidies, procurement
- ▶ Repeated regulation relationships (Salant and Woroch 1992, Gilbert and Newbery 1994, Martimort 2006)

- ▶ Demand of a polluting good (e.g., steel, energy) $Q(p)$, $Q' < 0$
- ▶ p carbon price "set" by the government
- ▶ There is a single firm producing the good at no cost and meeting all demand
- ▶ Production of the good produces emissions $E = eQ(p)$, $e > 0$
- ▶ Emissions can be reduced if the firm invests in a cleaner technology: $e(Q(p) - x)$
- ▶ Investing x implies cost $C(x) = c\frac{x^2}{2}$, $c > 0$ and revenues $xpQ(p)$
- ▶ Symmetric information and risk-neutrality

- t=0 Government announces a carbon price
- t=1 Firm makes investment decision
- t=2 Government implements the price and demand realizes
 - ▶ Government Nash leader, firm Nash follower

- ▶ Government:

$$W = \int_p^{\bar{p}} Q(z) dz - e[Q(p) - x(p)] \quad (1)$$

- ▶ Firm:

$$\Pi = (1 + x)pQ(p) - c\frac{x^2}{2} \quad (2)$$

- ▶ Problem of the government:

$$\max_p \int_p^{\bar{p}} Q(z) dz - e[Q(p) - x(p)] \quad (3)$$

where: $x(p) = \frac{pQ(p)}{c}$

- ▶ First-best solution is implemented

$$p^{FB} : \quad Q(p) = \frac{e}{c}[Q(p) + pQ'(p)] - eQ'(p) \quad (4)$$

$$x^{FB} = \frac{p^{FB} Q(p^{FB})}{c} \quad (5)$$

- ▶ Problem of the government

$$\max_p \int_p^{\bar{p}} Q(z) dz - e[Q(p) - x] \quad (6)$$

- ▶ Solution: $p^* = 0 \rightarrow x^* = x(p^*) = 0$
- ▶ Value functions

$$W(p^*, x^*) = \int_0^{\bar{p}} Q(z) dz - eQ(0) \quad (7)$$

$$\Pi(p^*, x^*) = 0 \quad (8)$$

Repeated pricing game

- ▶ Static pricing game is repeated for infinite periods
- ▶ No dynamics: demand and investment are unchanging over periods
- ▶ Government and firm have the same discount factor $\delta \in [0, 1]$
- ▶ Can a more cooperative outcome ($p > p^*$, $x > x^*$) can be sustained as a trigger strategies SPE?
- ▶ Trigger strategies:
 - ▶ If the government deviates from announced p at any date, the firm will not invest anymore at any future date
 - ▶ If the firm deviates from investing x at any date, the government will implement a 0 price at any future date

▶ Government

$$\sum_{t=0}^{\infty} \delta^t \left[\int_p^{\bar{p}} Q(z) dz - e[Q(p) - x] \right] \geq \int_0^{\bar{p}} Q(z) dz - e[Q(0) - x] + \sum_{t=1}^{\infty} \delta^t \left[\int_0^{\bar{p}} Q(z) dz - eQ(p) \right] \quad (9)$$

$$\delta x e \geq \int_0^p Q(z) d(z) - [Q(0) - Q(p)]e \quad (10)$$

▶ Firm

$$(1 + x)pQ(p) - c \frac{x^2}{2} \geq 0 \quad (11)$$

- ▶ If $\delta \rightarrow 1$, the first-best solution can be implemented

$$p^{FB} : \frac{e}{c} = Q(p) + eQ'(p)Q(p) + pQ'(p) \quad (12)$$

- ▶ For lower values of δ , government's incentive constraint is binding

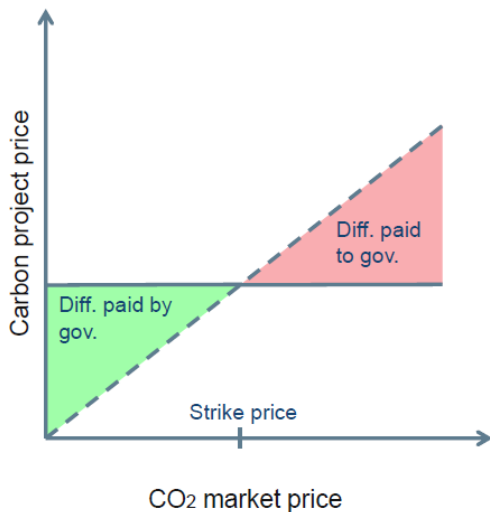
$$p^{SB} : \frac{e\delta}{c} = Q(p) + eQ'(p)Q(p) + pQ'(p) \quad (13)$$

- ▶ Since RHS of (12) and (13) is increasing in p , $p^{SB} < p^{FB} \rightarrow x^{SB} < x^{FB}$
- ▶ Intuition: lowering the price spreads the benefit from investment, increasing the opportunity cost from forgoing the relationship

- ▶ Idea: policies that lower the gain from short term deviation
 - ▶ improvement for the short term: $p_{AP}^* > p^* = 0, x_{AP}^* > x^* = 0$
 - ▶ improvement for the long term: $p^{FB} > p_{AP} > p^{SB}, x^{FB} > x_{AP} > x^{SB}$
- ▶ Policies under consideration
 - ▶ project-based carbon contracts
 - ▶ public co-funding of investment

- ▶ At the design stage in the EU for industry. Some experience in UK for the power sector
- ▶ Government and firm sign a contract where the firm is guaranteed a carbon price p_G for a share k of investment
- ▶ Implementation option as a contract for differences:
 - ▶ if $p < p_G$, government pays $(p_G - p)kx$ to the firm
 - ▶ if $p > p_G$, firm pays $(p - p_G)kx$ to the government
- ▶ Objective functions:
 - ▶ $W_{cc} = \int_{\bar{p}}^{\bar{p}} Q(z) dz - e[Q(p) - x] - (p_G - p)kx$
 - ▶ $\Pi_{cc} = (1 + x)pQ(p) + (p_G - p)kx - c\frac{x^2}{2}$

Project-based carbon contracts as contract for differences



- ▶ Timing

- t=0 Government announces a carbon price and signs a binding carbon contract with the firm (p_G)
- t=1 Firm makes investment decision
- t=2 Government implements the carbon price and payments are made

- ▶ Firm's reaction function $x(p, p_G) = \frac{pQ(p)+k(p_G-p)}{c}$
- ▶ NE of static game: $p_{CC}^* > 0, x_{CC}^* > 0$

- ▶ Time-inconsistency of carbon pricing deters investments in low-carbon technologies
- ▶ Reputation effects can bring some improvement
- ▶ Complementing the carbon price with other policies can bring further improvement
- ▶ Next steps and possible extensions
 - ▶ Public co-funding of investment
 - ▶ Dynamics
 - ▶ Technology frontier
 - ▶ Competition effects
 - ▶ Incomplete information
 - ▶ Risk-aversion of the firm